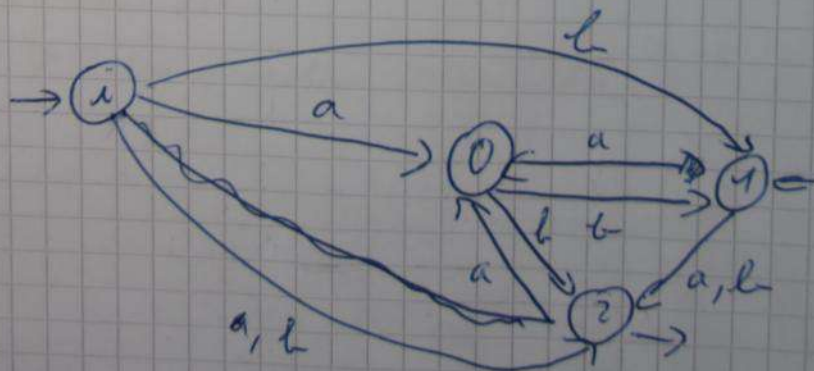
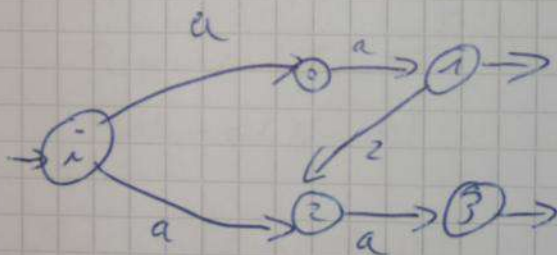
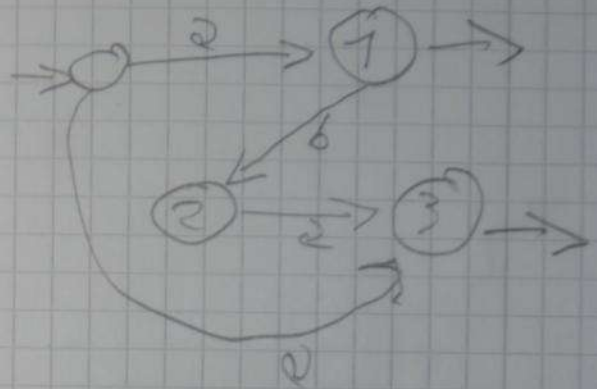
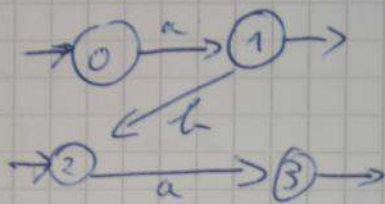


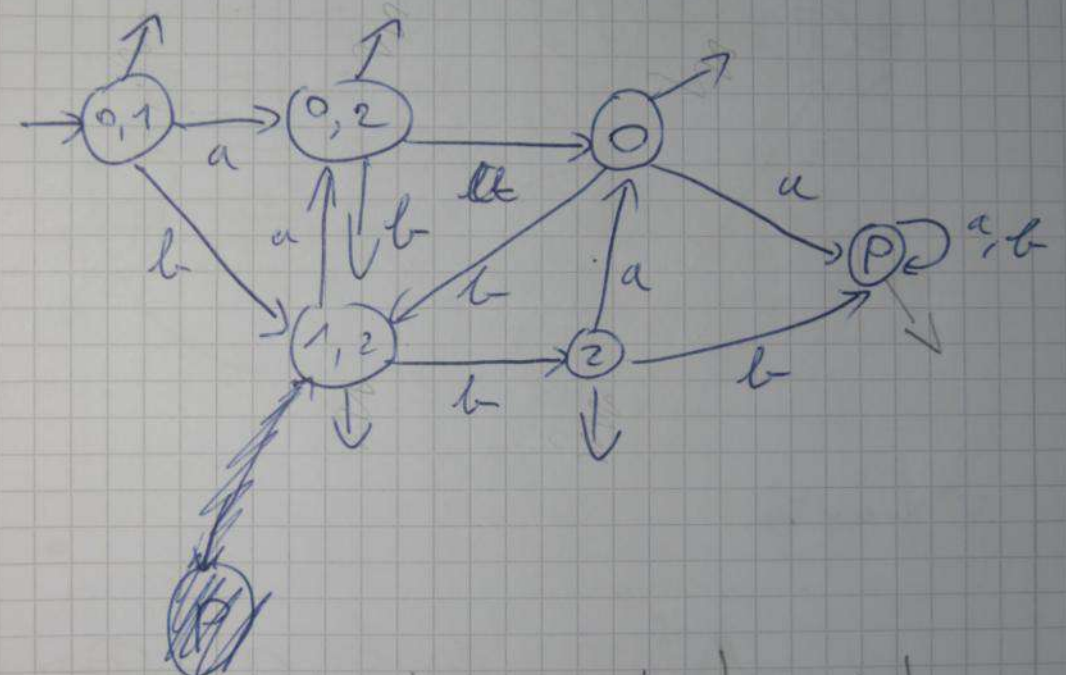
Exercice

Automate Standard

- il ne reconnaît pas le mot vide ϵ
- il ne rebouche sur son entrée
- il a qu'une entrée

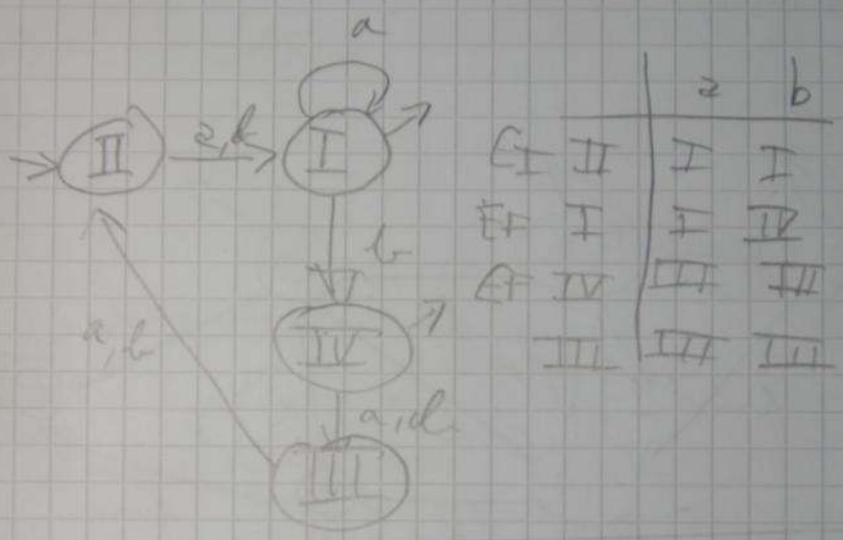


EF 0,1	a	b
EF 0,2	0,2	1,2
EF 1,2	0	2,1
EF 0	0,2	2
EF 2	1	1,2
P	0	1
	P	P



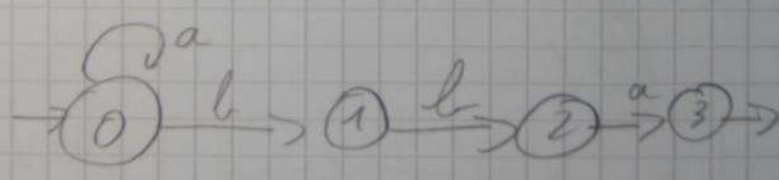
	a	b		a	b		a	b	
EF 0,1	0,2	1,2	I	I	I	I	I	I	I
EF 0,2	0	2,1	I	I	I	I	III	I	IV
EF 1,2	0,2	2	I	I	I	I	I	IV	IV
EF 0	P	2,2	I	II	I	III			III
EF 2	0	P	I	I	II	IV			IV
P	P	P	II	IV		II			II

Etat	a	b		a	b		a	b
EJ0	1	4	II	I	I	II		
EF1	2	3	I	I	I	I	I	IV
EF2	2	3	I	I	I	I	I	IV
EF4	P	P	I	I	II	IV	II	III
EF3	P	P	I	II	II	IV	III	III
P	P	P	II	II	II	III		III

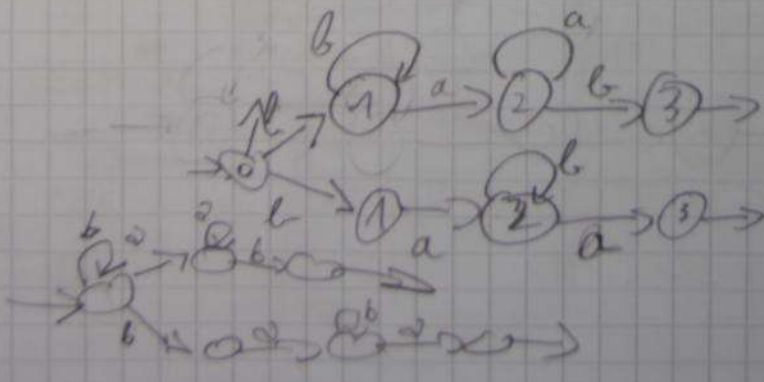


	a	b
EI	II	I
EF	I	IV
EF	IV	III
III	III	III

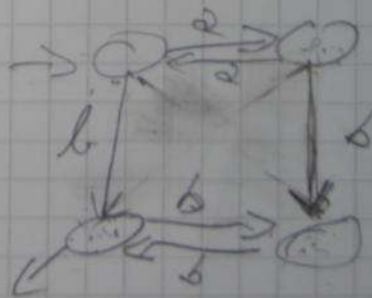
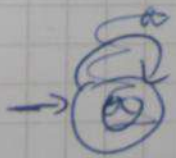
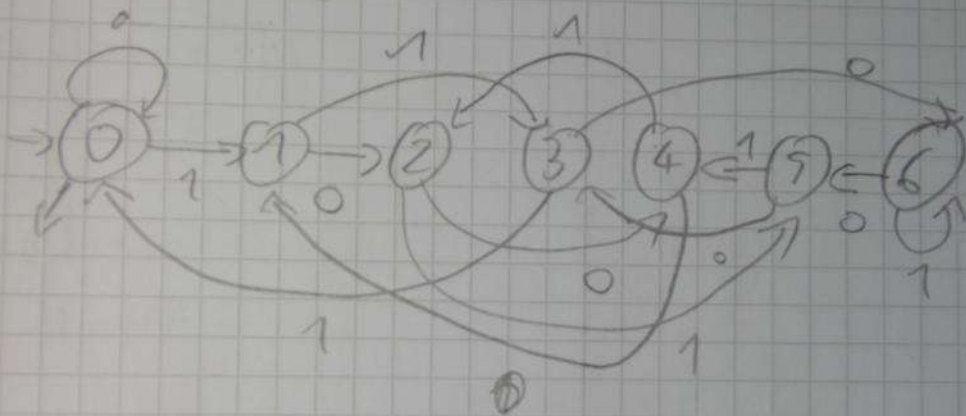
$a^* b b a$

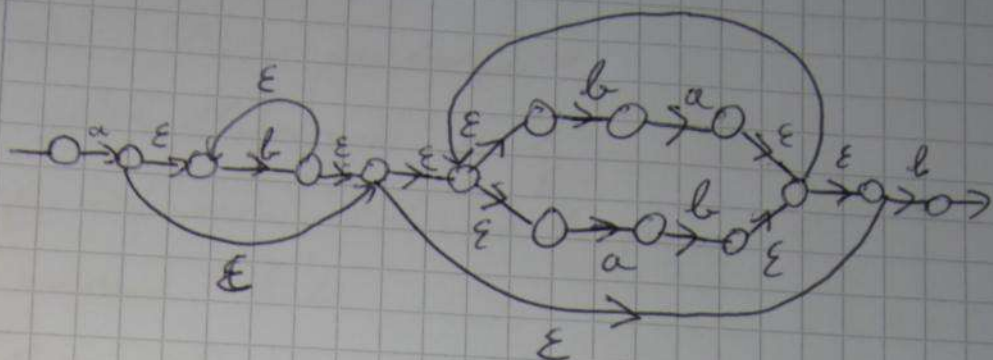


$b a b^* a$ ou $b^* a a b$



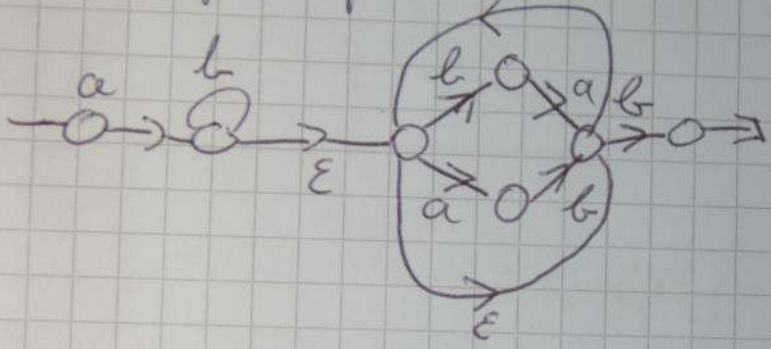
$7N$	0	$74n$	0	$14n+1$	1
$7N+1$	1	$74n+2$	2	$+3$	3
$7N+2$	2	$74n+4$	4	$+5$	5
$7N+3$	3	$74n+6$	6	$+7$	0
$7N+4$	4	$74n+8$	1	$+9$	2
$7N+5$	5	$74n+10$	3	$+11$	4
$7N+6$	6	$74n+12$	5	$+13$	6



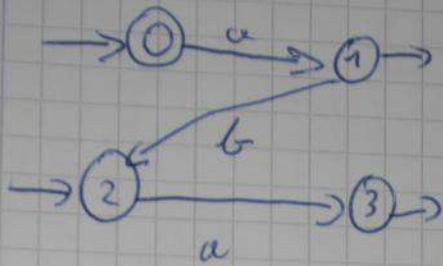


$$a b^* (b a + a b)^* b$$

simplifié graphiquement

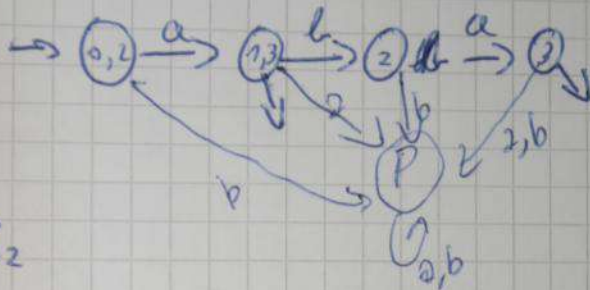


C1)

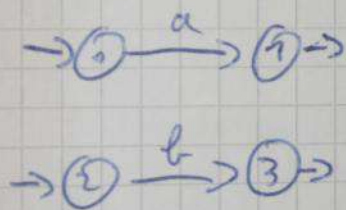


	a	b
0,2	1,3	<u>0</u>
1,3	<u>0</u>	2
2	3	<u>0</u>
3	<u>0</u>	<u>0</u>
<u>0</u>	<u>0</u>	<u>0</u>

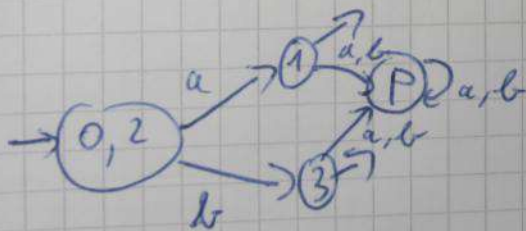
Automate déterministe :



C2



	a	b
0,2	1	3
1	-	-
3	-	-

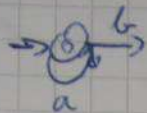


Exercice 7:

A) $(a^*b)^*ba^*b$

a) lit tous les mots finissant par ba^*b

$(a^*b)^*ba^*b$



b) Tableau de Transition

	a	b
→ 0	0	0,1
1	2	-
2	-	3
← 3	-	-

Détermination, l'état initial est l'ensemble de l'état initiaux
ici $\{0\}$

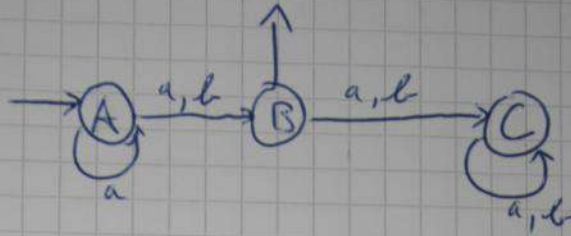
	a	b
E 0	0	0,1
0,1	0,2	0,1
0,2	0	0,1,3
0,1,3	0,2	0,1

Sortie: tout état dont au moins une composante est sortie
de l'automate non déterministe

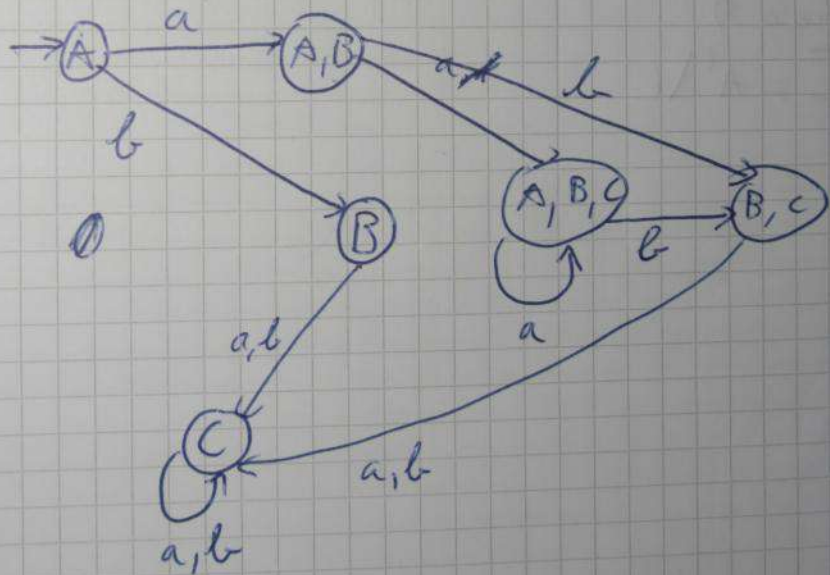
ici 0,1,3

Exercice 7:

D



EI	A	a	b
EF	A, B	A, B, C	B, C
EF	B	A, B, C	B, C
EF	A, B, C	A, B, C	B, C
EF	B, C	A, B, C	B, C
		C	C

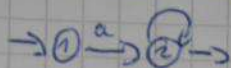


Minimalisation :

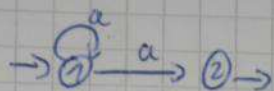
Il existe un unique ~~un~~ automate déterministe

Exercice 6:

1) Pas standard car transition vers l'état initial

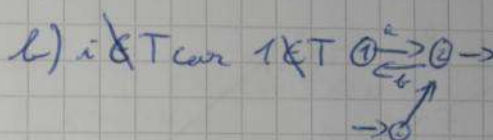
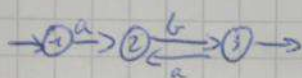


reconnait le mot vide



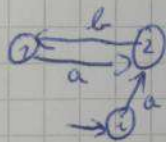
2) Pas standard, ne reconnait le mot vide

Reconnait $(ab)^*a$



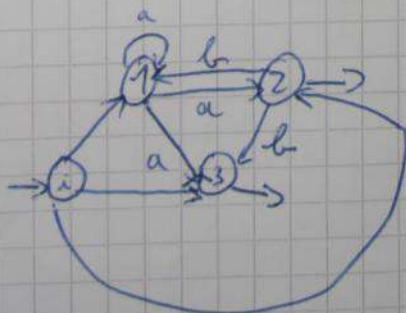
ne lit pas le mot "a"

3) Pas standard, reconnait le mot vide



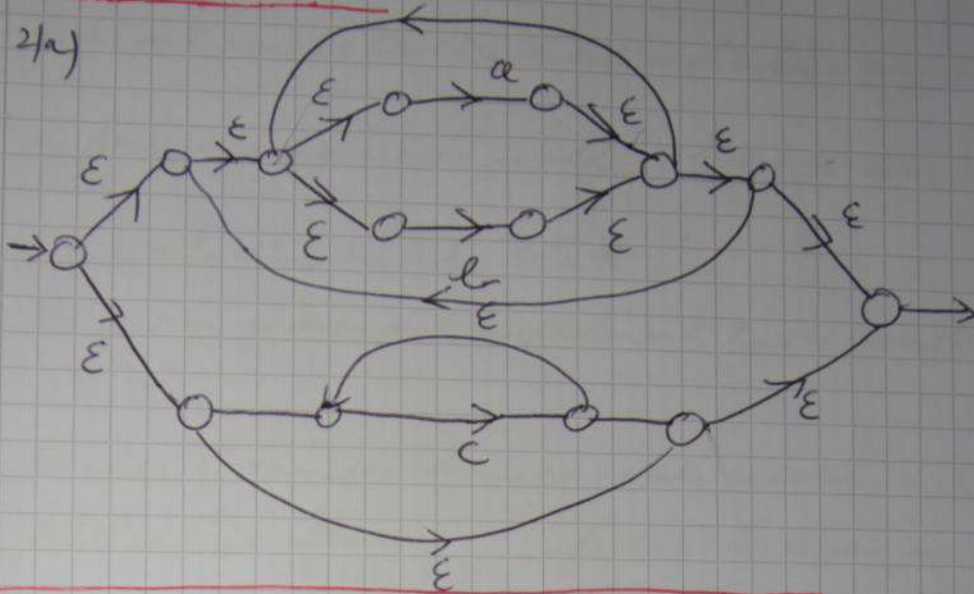
reconnait $ab(ab)^* + (ab)^*a$ c'est $(ab)^* \vee \epsilon$

4) Pas standard, ne reconnait pas le mot vide



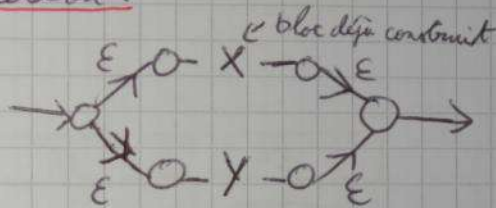
Construction du compilateur:

2/a)



Règles de construction:

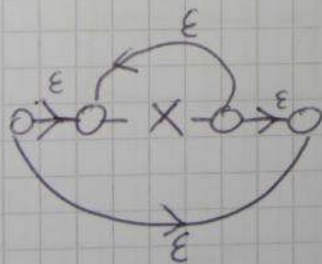
$X+Y$



XY



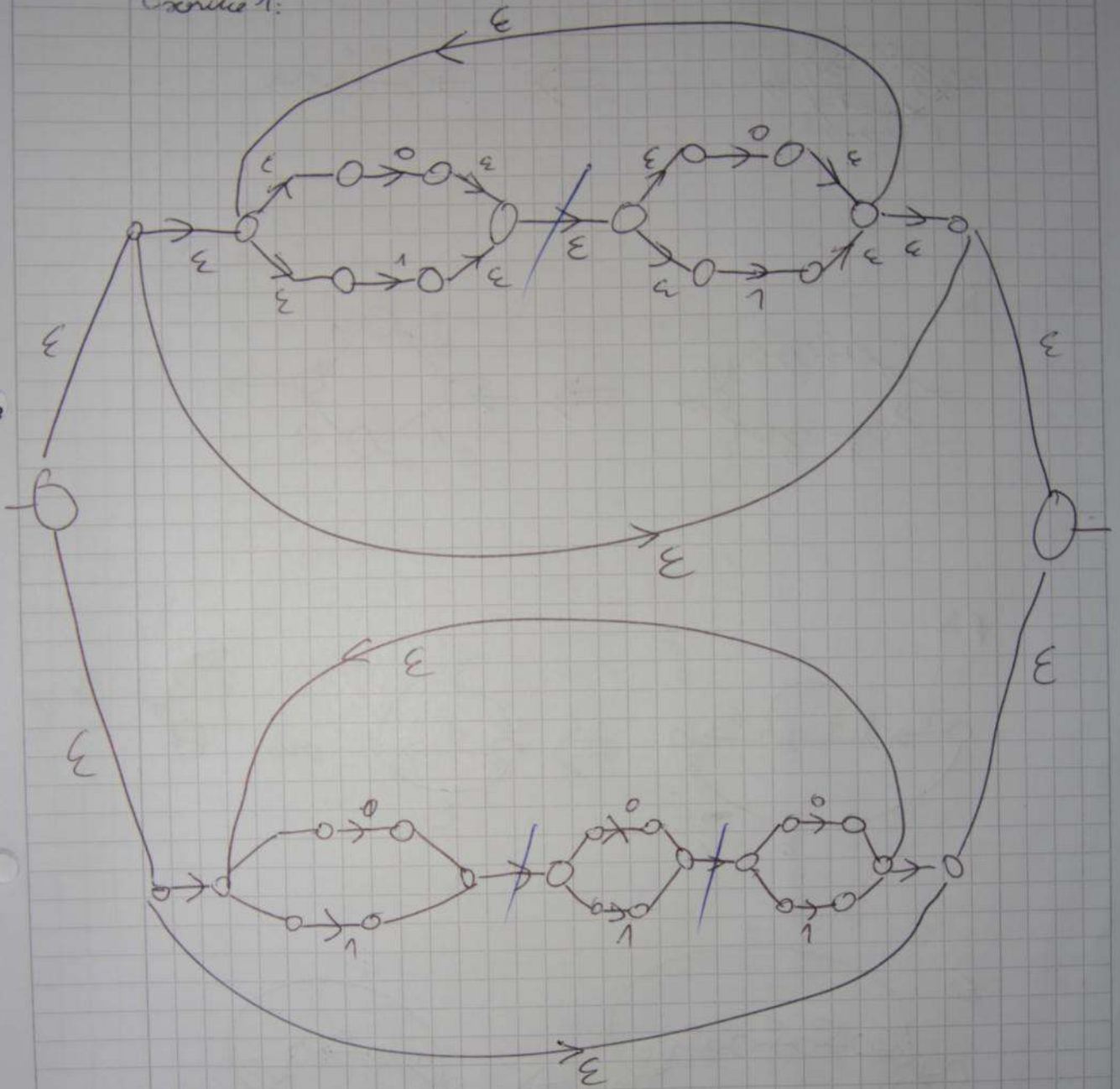
X^*



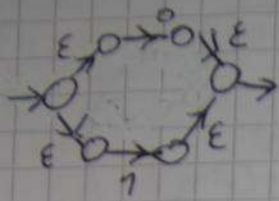
MPI Expression Rationnelle: ab



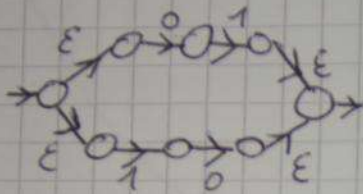
Exercice 1:



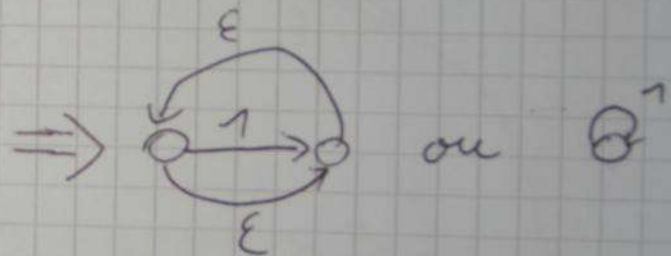
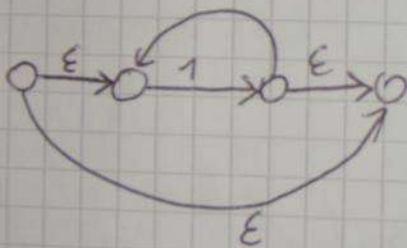
Si



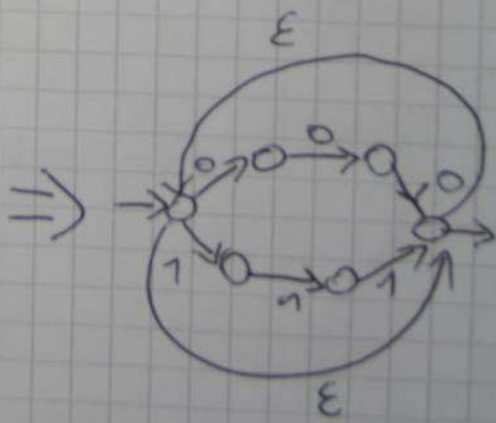
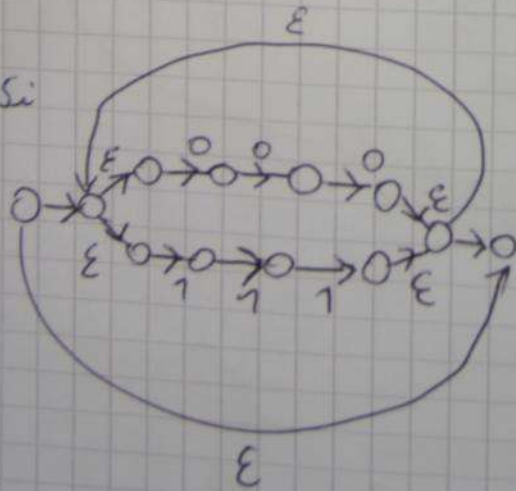
Si



Si

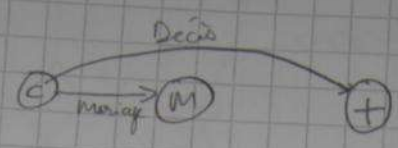


Si

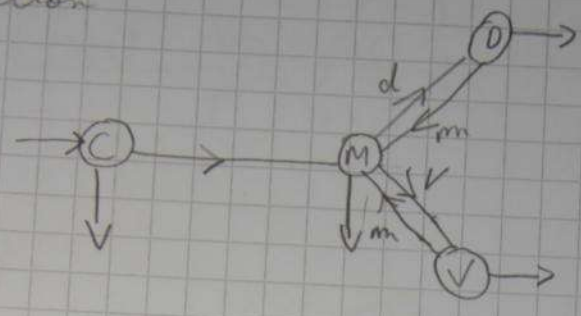


7)

Exercice 1:



Correction



8) D)

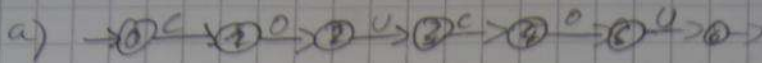
Il est déterministe car il n'y a aucune ambiguïté sur les changements d'état

Table de Transition

	Etat	m	d	v
ES	C	M	-	-
S	M	-	D	V
S	V	M	-	-
S	D	M	-	-

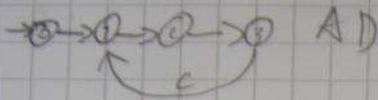
Noisy

Exercice 2:



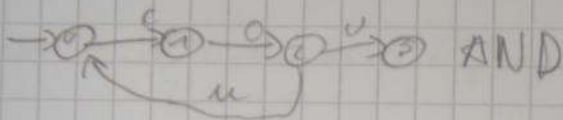
Déterminisme

b) Bonne solution:



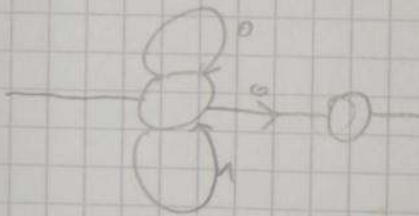
autre solution:

$\leftarrow \leftarrow$

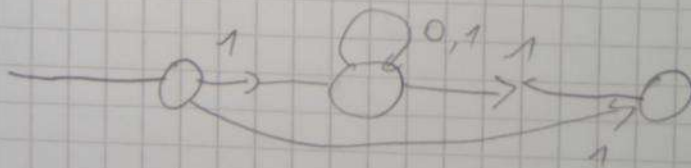


Exercice 3:

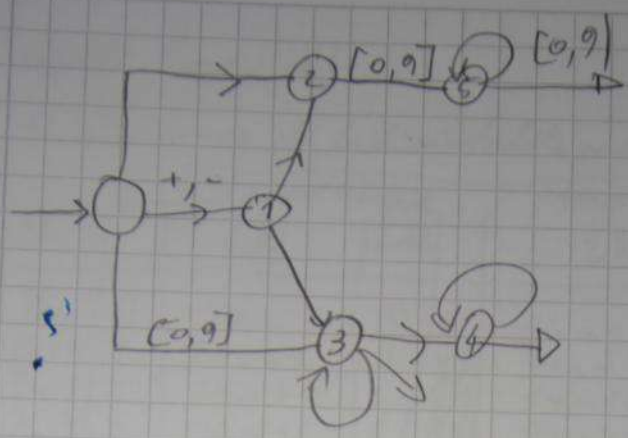
a)



b)

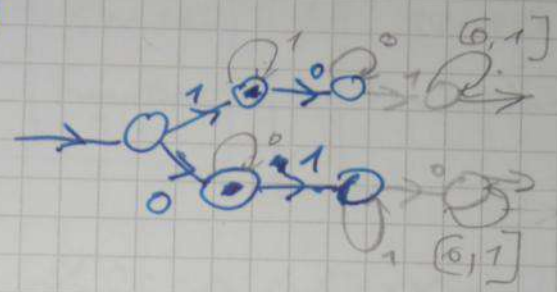


7)



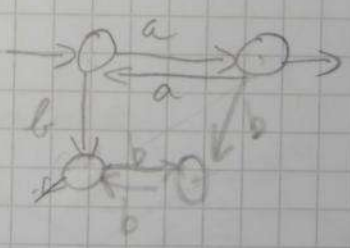
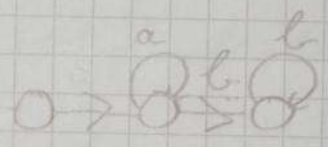
8)

3) d)

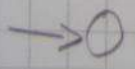


///))

e)



Exercice 4



Quand Exercice 4:

1) Vis-à-vis de la divisibilité par 7, il y a 7 classes de nombre

N:	ajout 0 à droite		ajout 1 à droite	
	$2N$	mod 7	$2N+1$	mod 7
$7n$	0	0	0	0
$7n+1$	1	2	1	3
$7n+2$	2	4	2	5
$7n+3$	3	6	3	0
$7n+4$	4	1	4	2
$7n+5$	5	3	5	4
$7n+6$	6	5	6	6
	Transition 0		Transition 1	

85

2) Si on colle 0 à côté de l'écriture binaire d'un nombre, on multiplie par 2

3) Si c'est 1, ^{on} multiplie par 2 et ~~on~~ on ajoute 1

À chaque classe :

- on crée un état
- les mots qui arrivent

